# On the development of fibre orientation in jet-to-wire-impingement

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## Outline

- Characters of fibre suspension flows in papermaking
  ✓ Fibre orientation
- Modelling approach and model set-up for jet-to-wire impingement
- Results
- Summary





## Fibre suspension flows in papermaking (1)

- Papermaking process contains complex flow phenomena
  - ✓ Multi-phase flow with fibre-fluid and fibre-fibre interactions
  - ✓ Turbulence
  - Sudden changes in shear strain rate, velocity and acceleration



- Fluid dynamics in the wet-end and in the forming section determines largely the properties of the paper
  - ✓ Headbox
  - ✓ Wire-section



## Fibre suspension flows in papermaking (2)





By courtesy of Metso Paper.



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#### **Fibre orientation**

- Misalignment of the fibre relative to the mean flow (or machine) direction
- Important factor in papermaking process
  - ✓ Affects dimensional stability, strength properties,...
  - Preferred orientation distribution depends on the purpose of the use of the paper
- Can be controlled with headbox fluid dynamics





## Modelling approach (1)

• Fibre orientation determined with vector  $\vec{p}$  using parametrisation

$$\vec{p} = \begin{pmatrix} \cos\theta\sin\phi\\ \sin\theta\sin\phi\\ \cos\phi \end{pmatrix} \quad \text{where}(\phi,\theta) \text{ polar and azimuthal angles} \\ \text{determining the orientation on a unit sphere} \\ \text{i.e.} \quad 0 < \theta < 2\pi \text{ and } 0 < \phi < \pi$$

Due to the singularity at the poles (φ = 0, φ = π) investigation of the orientation reduced in plane,
 i.e. φ = π/2



## Modelling approach (2)

- Model based on assumption of probability distribution  $\Psi(\mathbf{r,p,t})$
- Evolution of  $\Psi(\mathbf{r},\mathbf{p},t)$  modelled with diffusion-convection equation

$$\frac{\partial \Psi}{\partial t} - D_t \Delta \Psi - D_r \Delta_{S^2} \Psi + \nabla \cdot (\vec{v} \Psi) + \nabla_{S^2} \cdot (\vec{w} \Psi) = 0,$$

where	$D_t, D_r$ = diffusion coefficients		
	$\vec{v}$ = fluid velocity		
	$\vec{w} = \omega \vec{p} + \lambda \varepsilon \vec{p} - \lambda < \vec{p},$	$\mathcal{E}\vec{p} > \vec{p}$	= rotational velocity of the fibre
with	1 _		
	$\varepsilon = \frac{1}{2} \left( \nabla \vec{v} + (\nabla \vec{v})^T \right)$	= she	ear strain rate
	$\omega = \frac{1}{2} (\nabla \vec{v} - (\nabla \vec{v})^T)$	= voi	ticity
	2		



## Modelling approach (3)

Planar reduction and differential geometry —

$$\vec{w} = w_1 \partial_{\theta} + w_2 \partial_{\phi}$$
$$w_1 = -\sin(2\theta)\varepsilon_{11} + \cos(2\theta)\varepsilon_{12} - \omega_{12}$$
$$w_2 = 0$$

• FEM solver with velocity profiles imported from ANSYS CFX 12.1





## Modelling approach (4)

- Fixed jet velocity ~28,7 m/s
  - ✓ 3 different J/W ratios
    - J/W=0.9 -> wire velocity ~31,9 m/s
    - J/W=1.0 -> wire velocity ~28,7 m/s
    - J/W=1.1 -> wire velocity 26,1 m/s
- Sink term at the wire to consider the water removal defined as





#### **Results: Flow field (1)**





#### **Results: Flow field (2)**





#### **Results: Flow field (3)**



Velocity perpendicular to the mean flow



#### **Results: Flow field (4)**



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#### **Results:** Fibre orientation distribution



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#### Summary

- Fibre orientation probability at the forming section
  - ✓ Probability distribution approach with diffusion-convection equation and rotation of the fibre determined from the flow field
    - Planar reduction due to the singularity
- Jet-to-wire speed difference affect the orientation distribution
  - $\checkmark$  Strongest orientation with biggest wire velocity



## Thank you for your attention!

